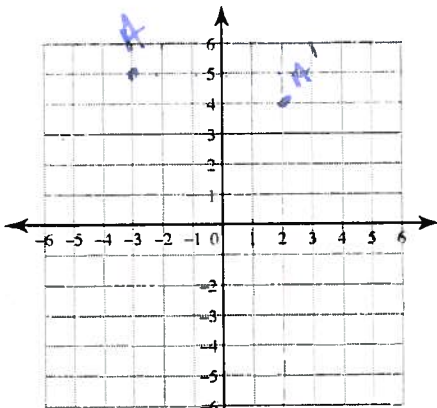


Translations Intro

Name: Key

1)



You are going to Translate point A to point A'.  
First graph the point (-3,5) and label it A.  
Now graph the point (2,4) and label it A'.

Write out how you could describe the movement from A → A'.

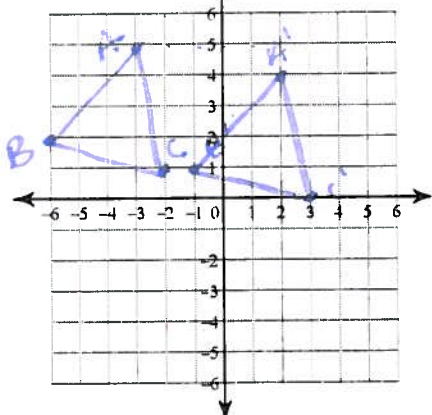
Right 5  
Down 1

How do the coordinates from A change when they go to A'?

Fill in the blanks:

$$A \rightarrow A' \\ (-3, 5) \rightarrow (-3 + \underline{5}, 5 - \underline{1})$$

2)



You are now going to translate a whole triangle:  
Graph and label the points A (-3,5), B (-6, 2), and C (-2, 1)  
Now graph and label the points A' (2,4), B' (-1, 1), C' (3, 0)

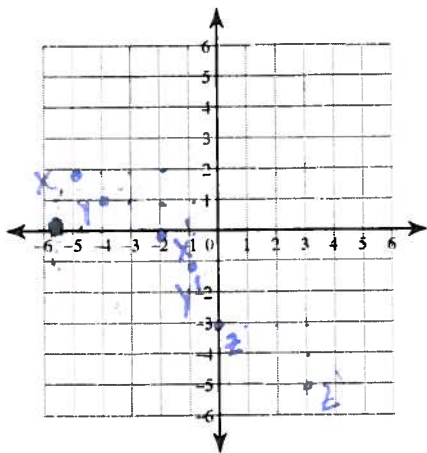
Write out how you could describe the translation of  $\Delta ABC$  to  $\Delta A'B'C'$ :

(x+5, y-1)

How do the coordinates from the points in  $\Delta ABC$  change when they get translated to  $\Delta A'B'C'$ ?

Right 5 Down 1

3)



Now you will translate  $\Delta XYZ$ , where X (-5, 2), Y (-4, 1), Z (0, -3).  
First graph and label  $\Delta XYZ$ .

Now translate  $\Delta XYZ \rightarrow \Delta X'Y'Z'$  by the rule: add 3 to the x value, and subtract 2 from they y value. This is written as:  
 $(x, y) \rightarrow (x+3, y-2)$ .

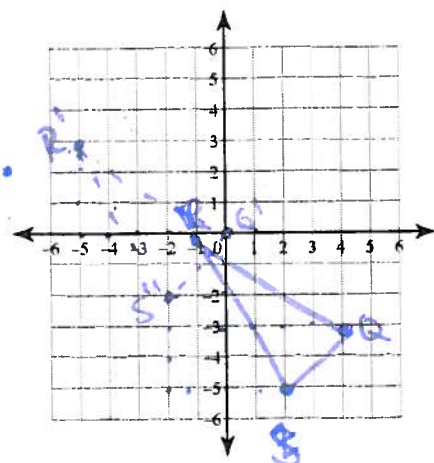
Graph and label  $\Delta X'Y'Z'$  by the rule:  $(x, y) \rightarrow (x+3, y-2)$

Write the points for  $\Delta X'Y'Z'$ :

X' (-2, 0) Y' (-1, -1) Z' (3, -5)

Did the shape of the triangle change?

4)



Now you will translate  $\Delta QRS$ , where Q (4, -3), R (-1, 0), S (2, -5).  
First graph and label  $\Delta QRS$ .

Now translate  $\Delta QRS \rightarrow \Delta Q'R'S'$  by the rule: subtract 4 from the x value, and add 3 to they y value.

Graph and label  $\Delta Q'R'S'$  by the rule

Fill in the blanks for this translation:  $(x, y) \rightarrow (x \underline{-4}, y \underline{+3})$ .

Write the points for  $\Delta Q'R'S'$ :

Q' (0, 0) R' (-5, 3) S' (-2, -2)

Did the shape of the triangle change?

5) If I were to ask you to translate  $\triangle LMN \rightarrow \triangle L'M'N'$  by the rule:  $(x, y) \rightarrow (x-5, y+4)$ , and L is at  $(a, b)$ , M is at  $(c, d)$  and N is at  $(e, f)$ , how would you write the coordinates for  $\triangle L'M'N'$ ?

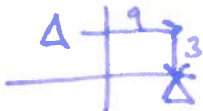
L'  $(a-5, b+4)$       L  $(a, b)$   
 M'  $(c-5, d+4)$       M  $(c, d)$   
 N'  $(e-5, f+4)$       N  $(e, f)$

6) Using words, describe the translation that would be made by the rule:  $(x, y) \rightarrow (x-5, y+4)$

Left 5, up 4 units

7) Using words, describe the translation that would be made by the rule:  $(x, y) \rightarrow (x+9, y-3)$   
 (How would this change the position of a triangle?)

Right 9 units and 3 units down



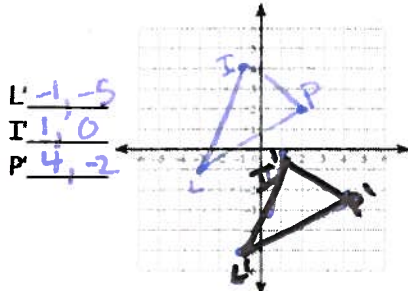
8) Using words, describe the translation that would be made by the rule:  $(x, y) \rightarrow (x-1, y+0)$   
 (How would this change the position of a triangle?)

everything would shift left 1 unit

move left one

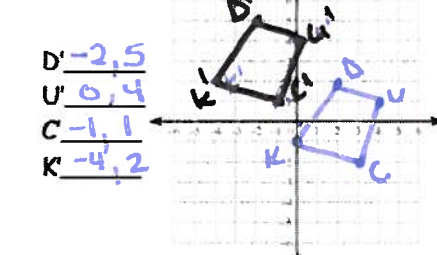
9. Graph each figure and the image under the given translation. Name the new coordinates.

a.  $\triangle LIP$  with vertices L(-3, -1), I(-1, 4), and P(2, 2) under the translation  $(x, y) \rightarrow (x+2, y-4)$ .



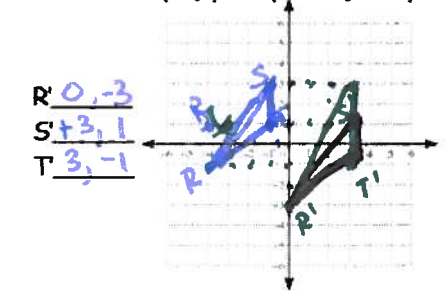
L'  $-1, -5$   
 I'  $1, 0$   
 P'  $4, -2$

b. Quadrilateral DUCK with vertices D(2, 2), U(4, 1), C(3, -2), and K(0, -1) under the translation  $(x, y) \rightarrow (x-4, y+3)$ .



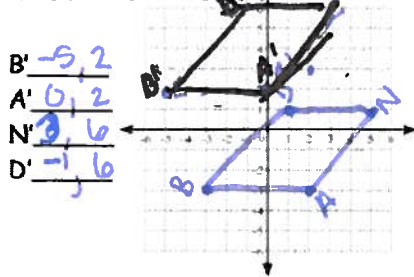
D'  $-2, 5$   
 U'  $0, 4$   
 C'  $-1, 1$   
 K'  $-4, 2$

c.  $\triangle RST$  with vertices R(-4, -1), S(-1, 3), and T(-1, 1) under the translation  $(x, y) \rightarrow (x+4, y-2)$



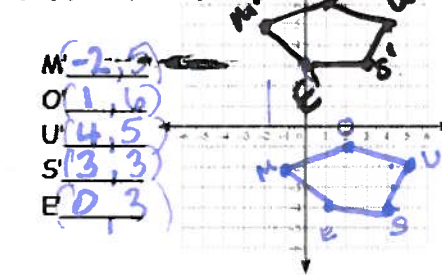
R'  $0, -3$   
 S'  $3, 1$   
 T'  $3, -1$

d. Quadrilateral BAND with vertices B(-3, -3), A(2, -3), N(5, 1), and D(1, 1) under the translation  $(x, y) \rightarrow (x-2, y+5)$ .



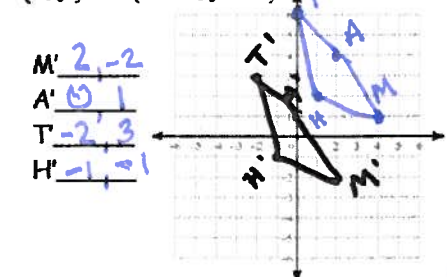
B'  $-5, 2$   
 A'  $0, 2$   
 N'  $3, 6$   
 D'  $-1, 6$

e. Pentagon MOUSE with vertices M(-1, -2), O(2, -1), U(5, -2), S(4, -4), and E(1, -4) under the translation  $(x, y) \rightarrow (x-1, y+7)$ .



M'  $-2, 5$   
 O'  $1, 6$   
 U'  $4, 5$   
 S'  $3, 3$   
 E'  $0, 3$

f. Quadrilateral MATH with vertices M(4, 1), A(2, 4), T(0, 6), and H(1, 2) under the translation  $(x, y) \rightarrow (x-2, y-3)$ .



M'  $2, -2$   
 A'  $0, 1$   
 T'  $-2, 3$   
 H'  $-1, -1$